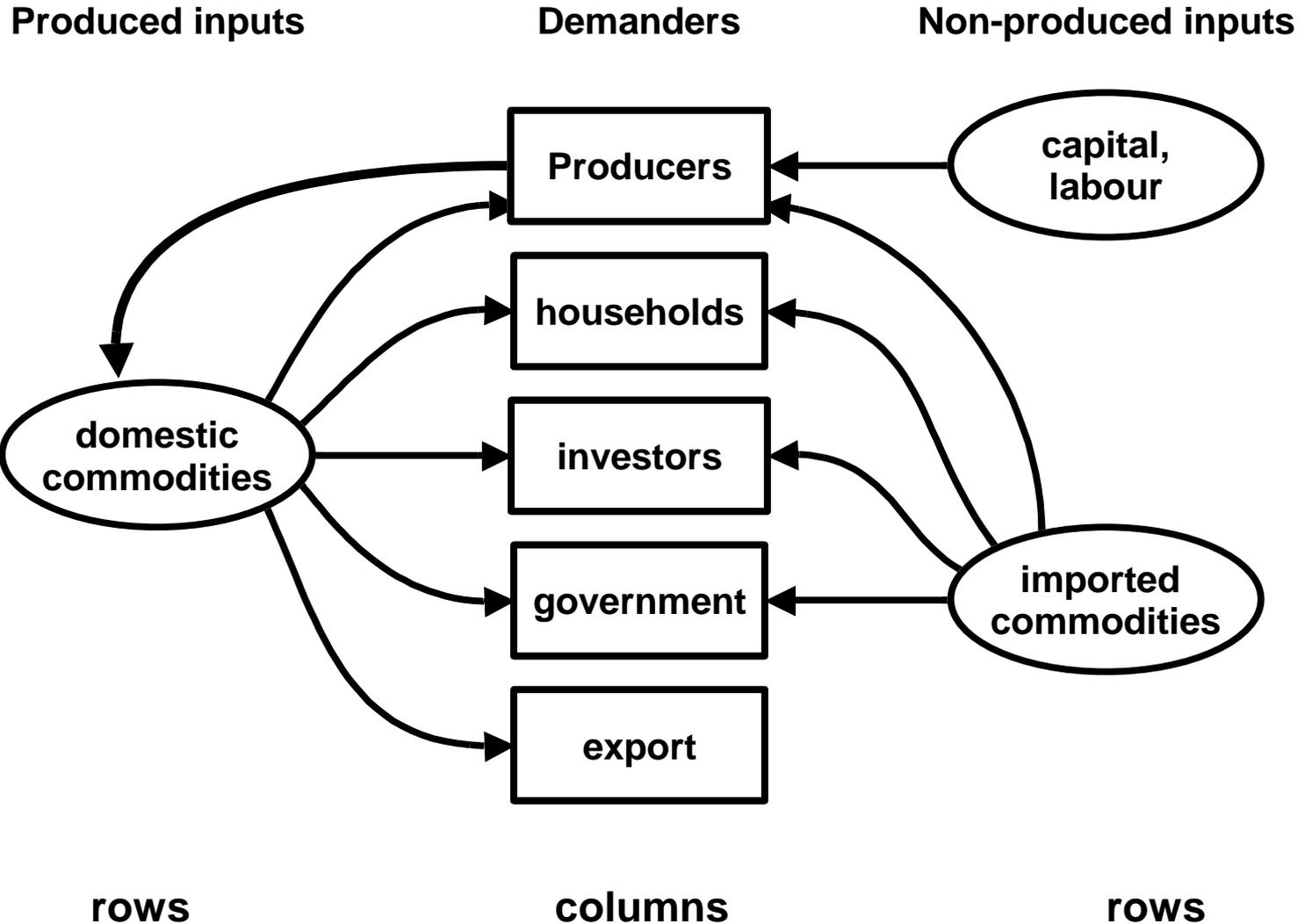


# IndoTERM: The basic concept, theoretical foundation, and assumption

Day 1 Session 2

# Stylized GE model: material flows



# Stylized GE model: database table of transaction values

		Producers			Absorption			Export	Total Demand
		Primary	Manufact	Services	H'holds	Invest	Govmt		
Domestic goods	Primary	5	10	2	1	0	0	15	33
	Manufact	5	15	10	15	15	10	10	80
	Services	5	13	20	30	5	20	5	98
Imported goods	Primary	1	2	0	0	0	0		3
	Manufact	1	3	2	3	3	2		14
	Services	1	3	4	6	1	4		19
Primary factors	Labour	7	17	40					
	Capital	8	17	20					
Total	cost	33	80	98					

**Simplifications: no taxes, one region only**

**Production costs = Domestic sales of domestic good**

Stylized GE model: database table of transaction values

	Producer i	Absorption C I G	Export	Total Demand
Domestic good c	....	....	....	sum(left)
Imported good c	....	....		
Primary factor f	....			
Production cost	total cost of above			Costs = Sales

We need to determine a quantity for each cell,  
and a price for each row

# Stylized GE model: demand equations

	Producer i	Absorption C I G	Export	Total Demand
Domestic good c	$Q_i F(P/PD_c)$	$E_u F(P, PD_c)$	$F(1/PD_c)$	$Q_c = \text{sum(left)}$
Imported good c	$Q_i F(P/PM_c)$	$E_u F(P, PM_c)$		<b>Supply = demand</b>
Primary factor f	$Q_i F(P/PF_f)$	<b>Quantity of good c used by sector i</b>		$QF_f = \text{sum(left)}$
Production cost	<b>total cost of above = <math>PD_i Q_i</math></b>	<b>Costs = Sales</b>		
<b>Notation:</b>	$PD_c$ = price dom good c	$PM_c$ = price imp good c	$PF_f$ = price factor f	$P$ = full price vector [PD, PM, PF]
	$Q_i$ = output good i	$F$ = various functions	$QF_f$ = supply factor f	$E_u$ = expenditure final user $u$

Stylized CGE model: Number of **equations** = number **endogenous** variables

**Variable**                      **Determined by:**

**PD<sub>c</sub> = price  
dom good c**

**ZERO PURE PROFITS**

**values of sales = PD<sub>c</sub>Q<sub>c</sub> = sum(input costs) = F(all variables)**

**Q<sub>c</sub> = output  
good c**

**MARKET CLEARING**

**Q<sub>c</sub> = sum(individual demands) = F(all variables)**

**PF<sub>f</sub> = price  
factor f**

**For each f, one of PF or QF fixed,  
the other determined by:**

**QF<sub>f</sub> = quantity  
factor f**

**QF<sub>f</sub> = sum(individual demands) = F(all variables)**

**E<sub>u</sub> = spending  
final user u**

**either fixed, or linked to factor incomes (with more equations)**

**PM<sub>c</sub> = price  
imp good c**

**fixed**

**Red: exogenous (set by modeler)**

**Green: endogenous (explained by system)**

# IndoTERM

IndoTERM, contains:

- 39 sectors,
- 30 regions,
- 4 labour types,
- 1 household type

# Coefficients and Variables

## Coefficients

example: USE(c,s,u,d)

UPPER CASE

Mostly values

Either read from file

or computed with formulae

Constant during each step

## Variables

example: puse (c,s,d)

lower case

Often prices or quantities

Percent or ordinary change

Related via equations

Exogenous or endogenous

Vary during each step

# The TERM Naming System

or **GLOSS**

## COEFFICIENT

variable

*Name Part*

cap capital

lab labour

lnd land

prim all primary factors

mar margins

tax indirect taxes

pur at purchasers' prices

imp imports (duty paid)

tot total inputs for a user

## Prefix

none for  
levels flow

p % price

x % quantity

del ord.change

LAB(i,o,d)

plab\_o(i,d)

xlab\_id(o)

## Subscripts

c COMmodities

s SouRCe (dom/imp)

i INDustries

m MARgin

o OCCupation

d,r,p Region

*Underscore means*  
"adding up over"

# Core Data and Variables

We begin by declaring variables and data coefficients which appear in many different equations.

Other variables and coefficients will be declared as needed.

**INVEST(c,i,d)**  
 purch. value of good c used for investment in industry i in d  
 price: pinvest(c,d)  
 quantity: xinvi(c,i,d)

**HOU PUR(c,h,d)**  
 purch. value of good c used by household h in d  
 price: phou(c,d)  
 quantity: xhouh\_s(c,h,d)

**USER x DST**

<b>IND</b>	<b>FINDEM (HOU, INV, GOV, EXP)</b>
<b>USE(c,s,u,d)</b> Delivered value: basic + margins (ex-tax) quantity: xint(c,s,i,d) price: puse(c,s,d)	quantities: xhou(c,s,d) xinvi(c,s,d) xgov(c,s,d) xexp(c,s,d) price: puse(c,s,d)

**DST**

**USE\_U(c,s,d)**  
 =  
**DELIVRD\_R(c,s,d)**  
 price:  
 pdelivrd\_r(c,s,d)  
 quantity:  
 xtrad\_r(c,s,d)

**ORG x DST**

**DELIVRD (c,s,r,d)**  
 = **TRADE(c,s,r,d)**  
 + sum{m,MAR, TRADMAR(c,s,m,r,d)}  
 price: pdelivrd(c,s,r,d)  
 quantity: xtrad(c,s,r,d)

# TERM Database structure

COM x SRC

COM x SRC

**TAX (c,s,u,d)**  
 Commodity taxes

**FACTORS**  
**LAB(i,o,d)** wages  
**CAP(i,d)** capital rentals  
**LND(i,d)** land rentals  
**PRODTAX(i,d)** prod tax

**INDUSTRY OUTPUT: VTOT(i,d)**

**INVENTORIES: STOCKS(i,d)**

COM

**MAKE(c,i,d)**  
 output of good c by industry i in d  
 update:  
 xmake(c,i,d)\*pmake(c,i,d)

**IND x DST**

**MAKE\_I(c,r)**  
 =  
**TRADE\_D(c,"dom",r)**

**MAKE\_I(c,d)**  
 domestic commodity supplies

**DST**

= {Leontief}  
**TRADE (c,s,r,d)**  
 good c,s from r to d at basic prices  
 quantity: xtrad(c,s,r,d)  
 price: pbasic(c,s,r)

**TRADMAR(c,s,m,r,d)**  
 margin m on good c,s from r to d  
 quantity: xtradmar(c,s,m,r,d)  
 price: psuppar\_p(m,r,d)

sum over COM and SRC  
**TRADMAR\_CS(m,r,d)**

=  
**SUPPMAR-P(m,r,d)**

CES sum over p in REGPRD  
**SUPPMAR(m,r,d,p)**  
 Margins supplied by p on goods passing from r to d  
 update:  
 xsuppar(m,r,d,p)\*pdom(m,p)  
 MAKE\_I(m,p) = SUPPMAR\_RD(m,p) + TRADE\_D(m,"dom",p)

**ORG x DST**

**IMPORT (c,r)**

file data

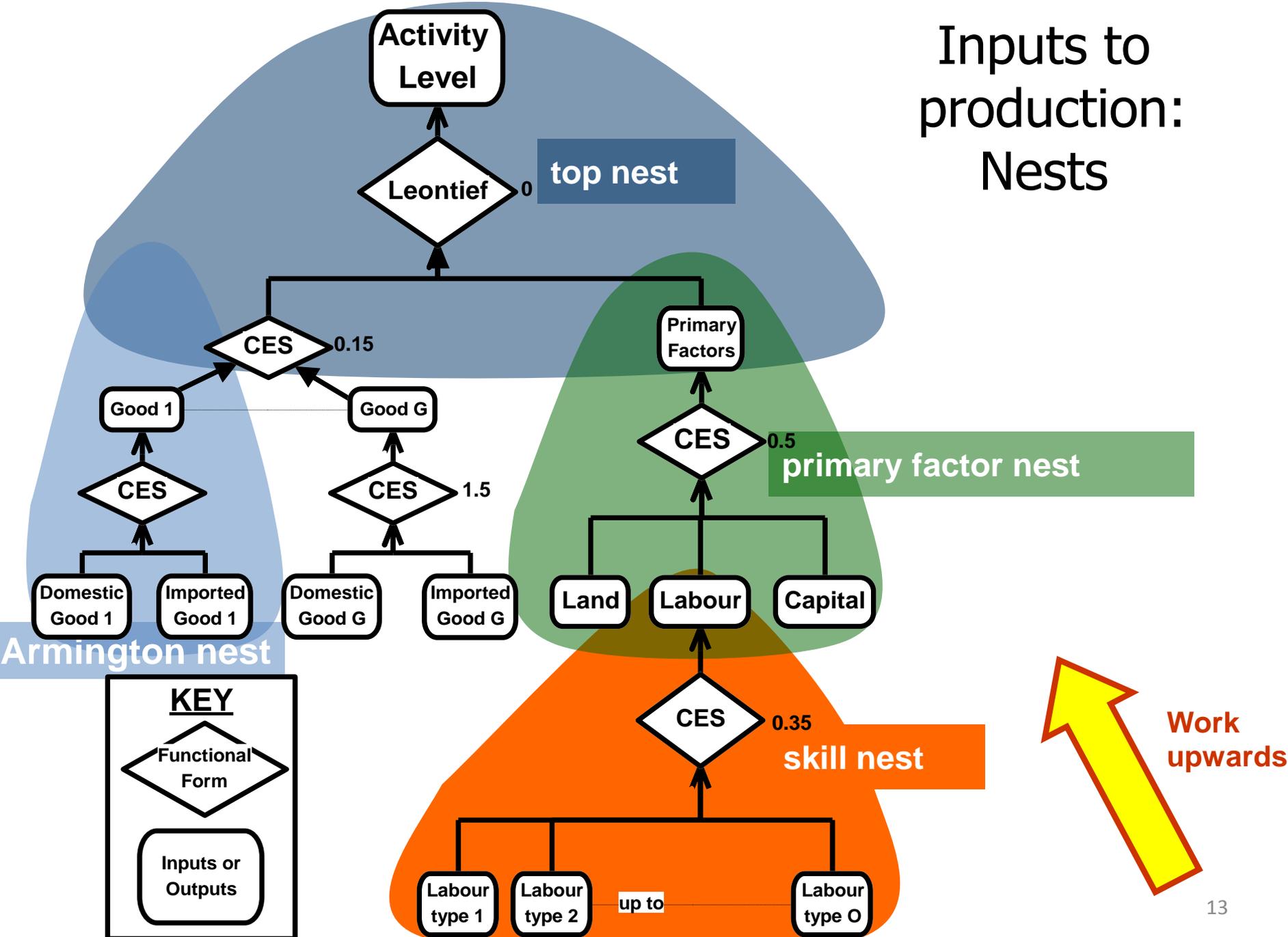
addups

### Index Set Description

- c COM Commodities
- s SRC Domestic or imported (ROW) sources
- m MAR Margin commodities
- r ORG Regions of origin
- d DST Regions of use (destination)
- p PRD Regions of margin production
- f FINDEM Final demanders(HOU, INV,GOV, EXP)
- i IND Industries
- u USR Users = IND + FINDEM
- o OCC Skills
- h HOU Households

**PRIMARY FACTOR USE**

# Inputs to production: Nests



# Nested Structure of production

In each industry: Output = function of inputs:

output =  $F(\text{inputs}) = F(\text{Labour, Capital, Land, dom goods, imp goods})$

**Separability assumptions** simplify the production structure:

output =  $F(\text{primary factor composite, composite goods})$

where:

primary factor composite =  $\text{CES}(\text{Labour, Capital, Land})$

labour =  $\text{CES}(\text{Various skill grades})$

composite good (i) =  $\text{CES}(\text{domestic good (i), imported good (i)})$

All industries share common production structure.

BUT: Input proportions and behavioural parameters vary.

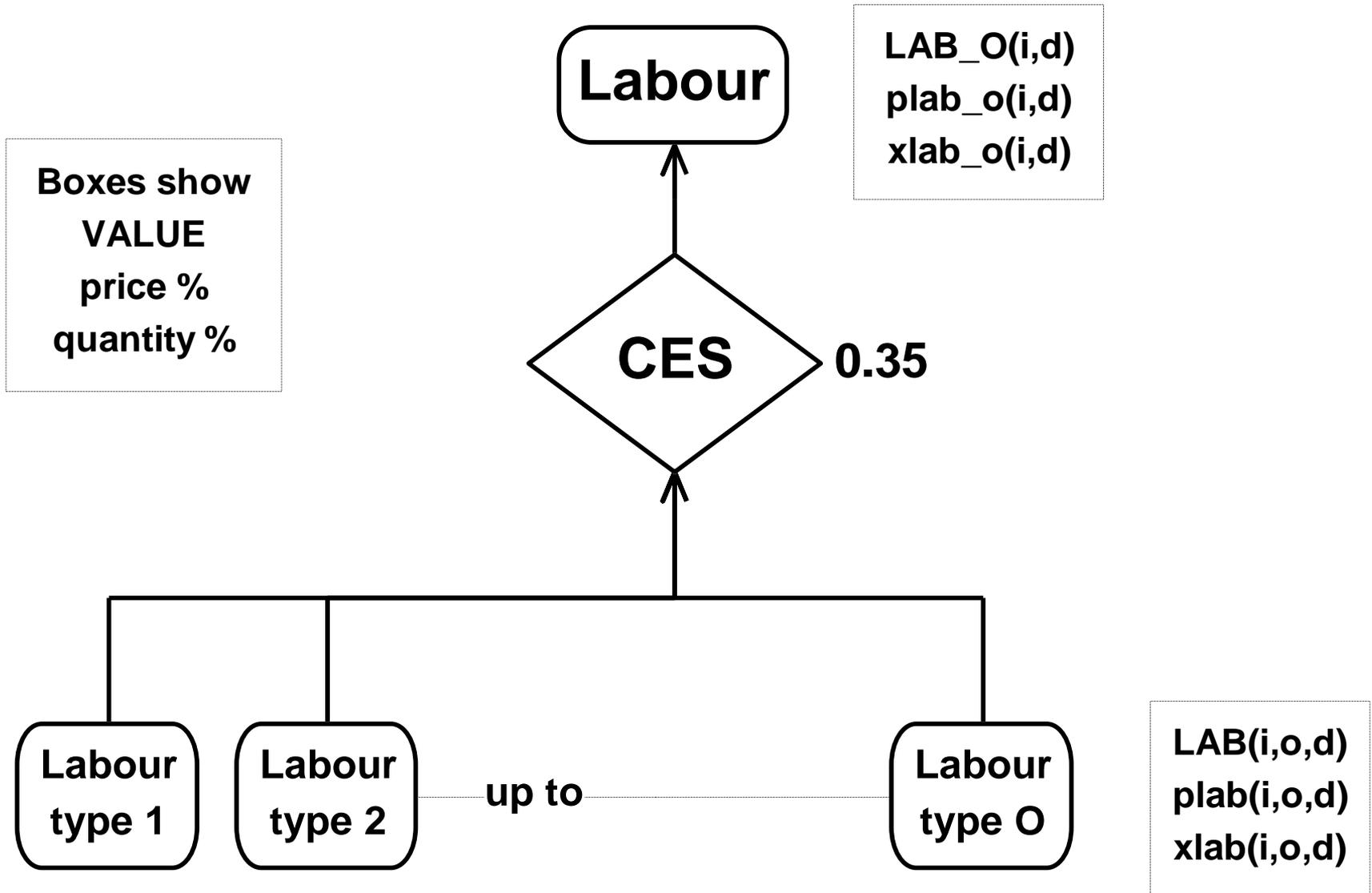
Nesting is like staged decisions:

First decide how much leather to use—based on output.

Then decide import/domestic proportions, depending on the relative prices of local and foreign leather.

Each nest requires 2 or 3 equations.

# Skill Mix



# Skill Mix

*Problem: for each industry  $i$ , choose labour inputs  $XLAB(i,o,d)$  to minimize labour cost:*

$$\text{sum}\{o,OCC, PLAB(i,o,d)*XLAB(i,o,d)\}$$

*such that  $XLAB\_O(i) = CES( All,o,OCC: XLAB(i,o,d) )$*

**given**

Coefficient

(all,i,IND) SIGMALAB(i) # CES substitution between skills #;

(all,i,IND)(all,d,DST) LAB\_O(i,d) # Total labour bill in industry i #;

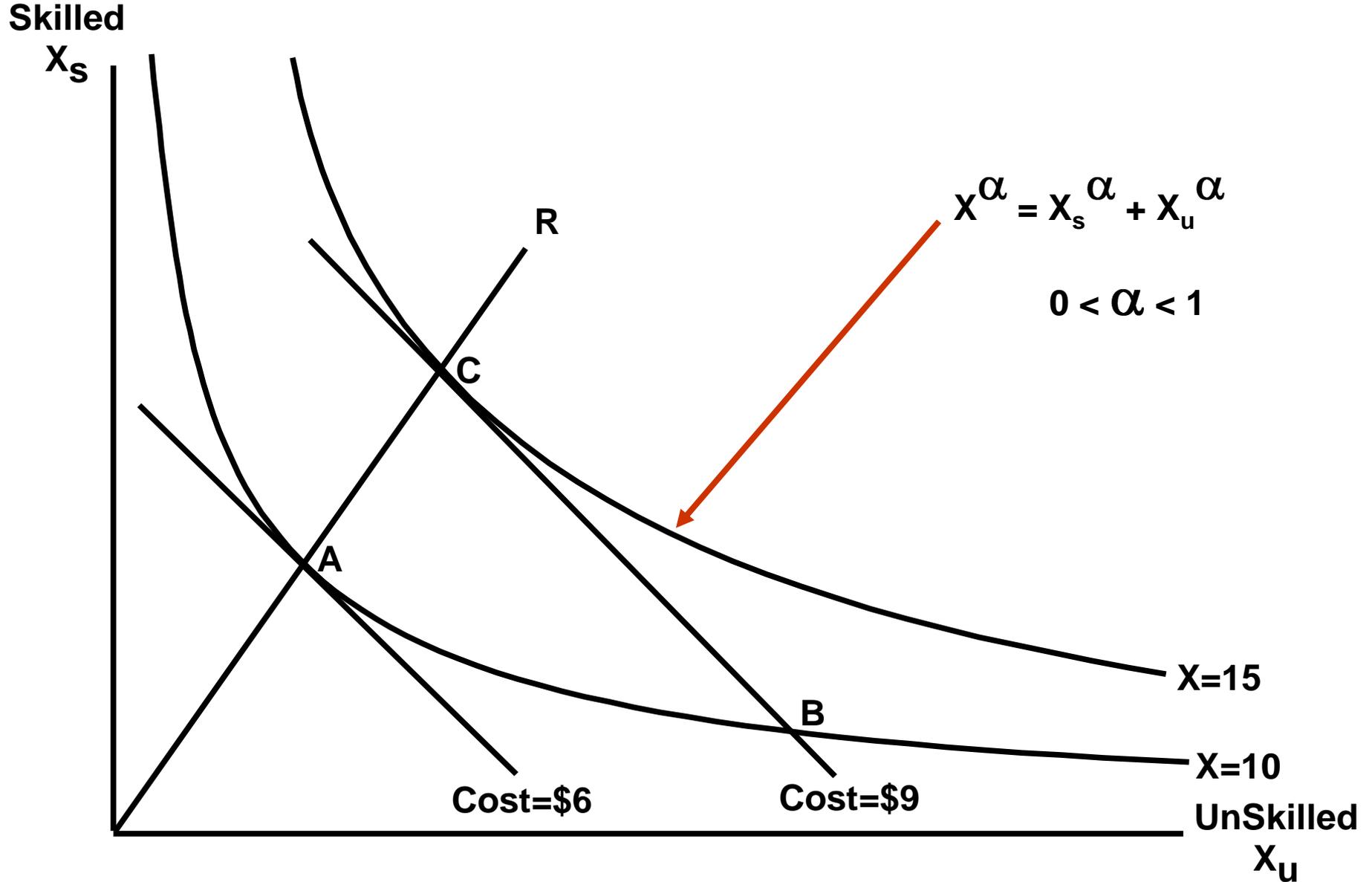
Read SIGMALAB from file INFILE header "SLAB";

Formula (all,i,IND)(all,d,DST)

$$LAB\_O(i,d) = \text{sum}\{o,OCC, LAB(i,o,d)\};$$

**add over  
OCC**

# CES Skill Substitution



# The problem of zeroes: ID01 function

E\_plab\_o # Price to each industry of labour composite #

(all,i,IND) (all,d,DST)

$LAB\_O(i,d)*plab\_o(i,d) = \text{sum}\{o,OCC, LAB(i,o,d)*plab(i,o,d)\};$

same as

$plab\_o(i,d) = \text{sum}\{o,OCC, \frac{LAB(i,o)}{LAB\_O(i)} * plab(i,o)\};$

**Skill share**

What if industry used no labour -- a problem !

$ID01(X) = 1 \text{ if } X=0 \quad \text{otherwise} = X$

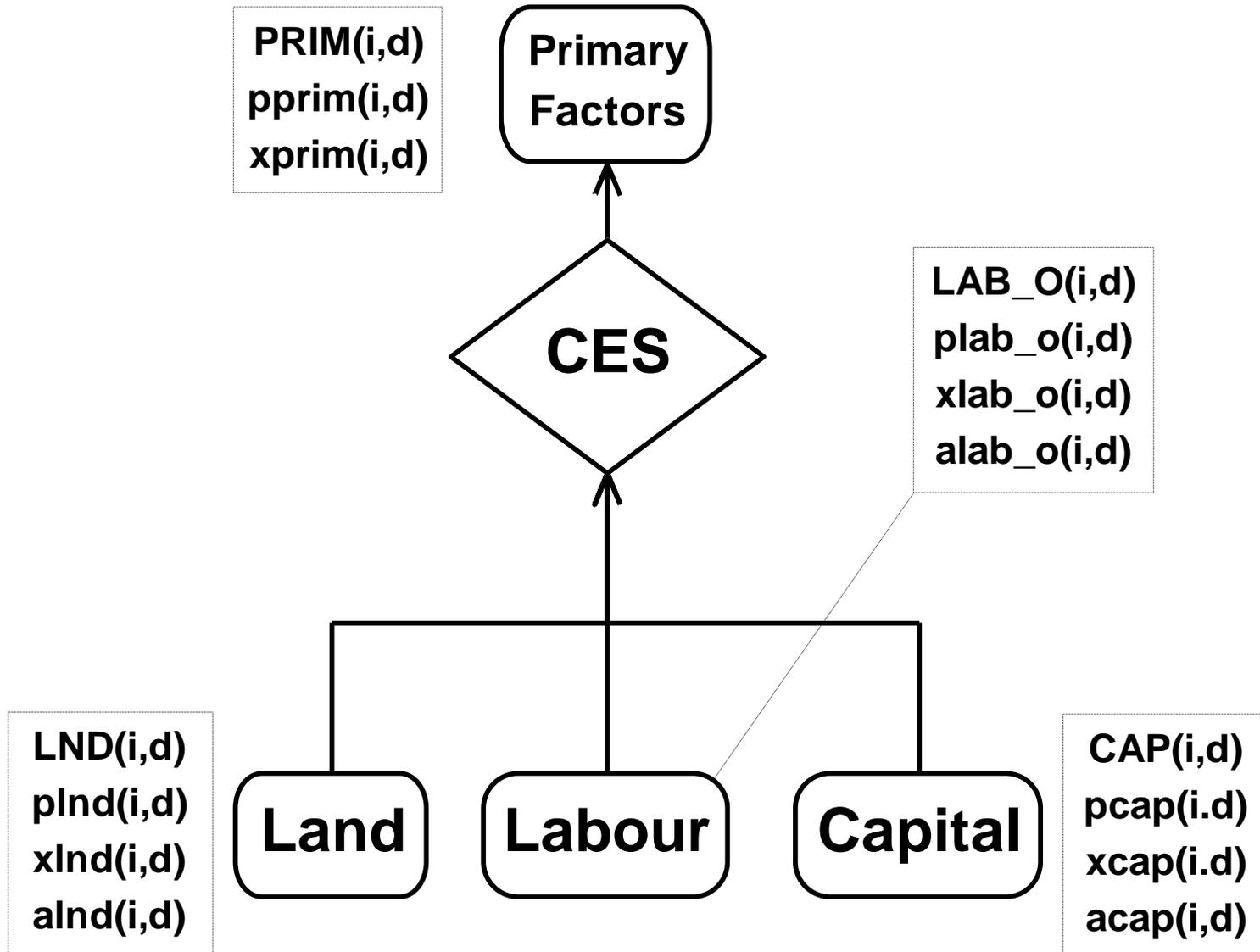
$ID01[LAB\_O(i,d)]*plab\_o(i,d) = \text{sum}\{o,OCC, LAB(i,o,d)*plab(i,o,d)\};$

if no labour gives:  $plab\_o(i,d) = 0$  (satisfactory)

otherwise gives:

$LAB\_O(i,d)*plab\_o(i,d) = \text{sum}\{o,OCC, LAB(i,o,d)*plab(i,o,d)\};$

# Primary factor Mix



# Primary factor Mix

$$XPRIM(i,d) = CES( \text{ XLAB\_O}(i,d)/\text{ALAB\_O}(i,d), \\ \text{ XCAP}(i,d)/\text{ACAP}(i,d), \\ \text{ XLND}(i,d)/\text{ALND}(i,d) )$$

quantity-  
augmenting  
technical  
change

Equation

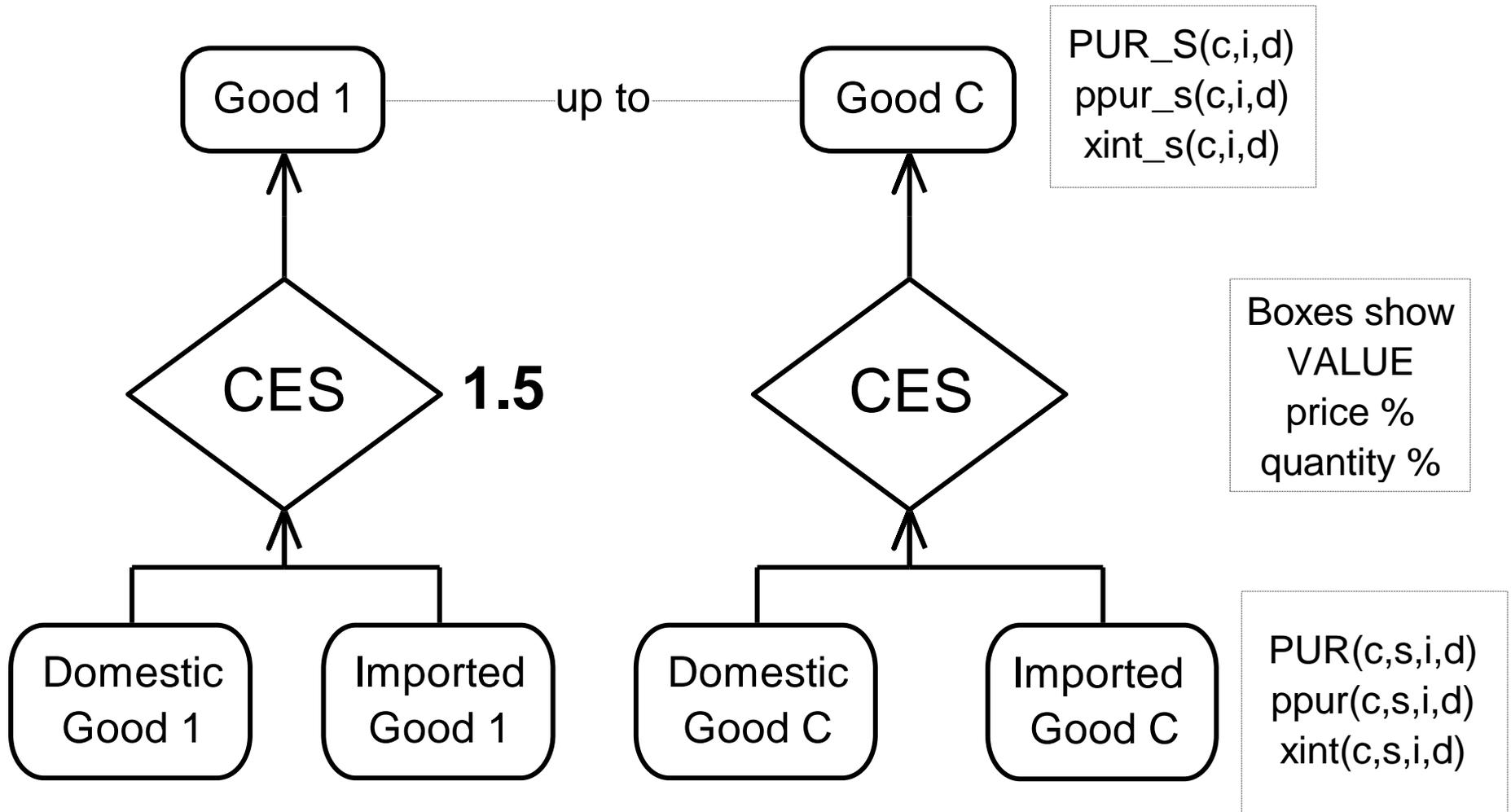
*E\_xlab\_o # Industry demands for effective labour #*  
 (all,i,IND)(all,d,DST) xlab\_o(i,d) - alab\_o(i,d) =  
 xprim(i,d) - SIGMAPRIM(i)\*[plab\_o(i,d) + alab\_o(i,d) - pprim(i,d)];

*E\_pcap # Industry demands for capital #*  
 (all,i,IND)(all,d,DST) xcap(i,d) - acap(i,d) =  
 xprim(i,d) - SIGMAPRIM(i)\*[pcap(i,d) + acap(i,d) - pprim(i,d)];

*E\_plnd # Industry demands for land #*  
 (all,i,IND)(all,d,DST) xlnnd(i,d) - alnd(i,d) =  
 xprim(i,d) - SIGMAPRIM(i)\*[plnd(i,d) + alnd(i,d) - pprim(i,d)];

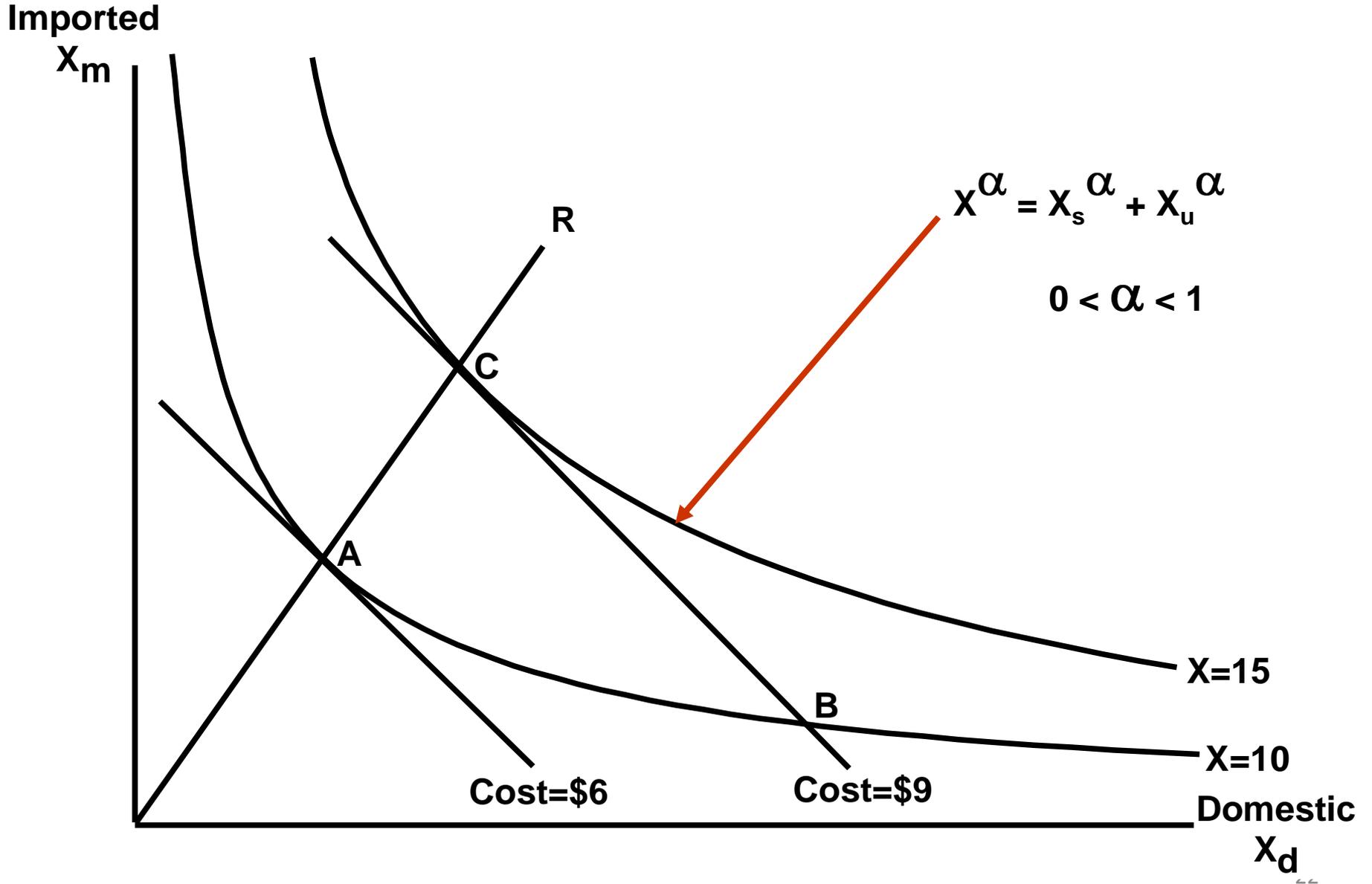
*E\_pprim # Effective price term for factor demand equations #*  
 (all,i,IND)(all,d,DST)  
 PRIM(i,d)\*pprim(i,d) = LAB\_O(i,d)\*[plab\_o(i,d) + alab\_o(i,d)]  
 + CAP(i,d)\*[pcap(i,d) + acap(i,d)] + LND(i,d)\*[plnd(i,d) + alnd(i,d)];

# Intermediate Sourcing



**SAME FOR HOU AND INV USERS**

# Import/Domestic Substitution



**INTERMEDIATE USE**

# Intermediate Sourcing

Variable

(all,c,COM)(all,u,USR)(all,d,DST) ppur\_s(c,u,d) # User prices, average over s#;

(all,c,COM)(all,i,IND)(all,d,DST)

xint\_s(c,i,d) # Industry demands for dom/imp composite #;

Equation

E\_ppur\_s

(all,c,COM)(all,u,USR)(all,d,DST)

ppur\_s(c,u,d) = sum{s, SRC, SRCshr(c,s,u,d)\*ppur(c,s,u,d)};

E\_xint (all,c,COM)(all,s,SRC)(all,i,IND)(all,d,DST)

xint(c,s,i,d) = xint\_s(c,i,d) - SIGMADOMIMP(c)\*[ppur(c,s,i,d)-ppur\_s(c,i,d)];

$$x_s = x_{\text{average}} - s[p_s - p_{\text{average}}]$$

$$p_{\text{average}} = \sum s_s \cdot [p_s]$$

**SAME FOR HOU AND INV USERS**

# Numerical Example of CES demands

feel for numbers

$p = S_d p_d + S_m p_m$  average price of dom and imp Food

$x_d = x - \sigma(p_d - p)$  demand for domestic Food

$x_m = x - \sigma(p_m - p)$  demand for imported Food

Let  $p_m = -10\%$ ,  $x = p_d = 0$

Let  $S_m = 0.3$  and  $\sigma = 2$ . This gives:

$$p = -0.3 * 10 = -3$$

$$x_d = -2(-3) = -6$$

$$x_d = x - S_m \sigma (p_d - p_m)$$

$$x_m = -2(-10 - -3) = 14$$

$$x_m = x - S_d \sigma (p_m - p_d)$$

Cheaper imports cause 14% increase in import volumes and 6% fall in domestic demand.

Effect on domestic sales is proportional to both  $S_m$  and  $\sigma$ .

# **THE TRADE SYSTEM**

# TRADE("machi", "dom")

## User or destination region

TRADE	1 NAD	2 SUMUT	3 SUMBAR	4 RIAU	5 JAMBI	6 SUMSEL	7 BABEL	8 BENGKULU	9 LAMPUNG	10 DKI
1 NAD	0,053	0,002	0,000	0,000	0,000	0,000	0,000	0,000	0,000	0,000
2 SUMUT	301	740	172	2,15	31,2	108	2,70	16,9	53,1	0,913
3 SUMBAR	0,002	0,001	0,038	0,000	0,000	0,002	0,000	0,000	0,001	0,000
4 RIAU	252	1097	312	13076	254	676	36,7	66,3	252	74,9
5 JAMBI	0,000	0,000	0,001	0,000	0,013	0,007	0,000	0,000	0,001	0,000
6 SUMSEL	0,001	0,001	0,000	0,000	0,001	0,076	0,000	0,000	0,005	0,000
7 BABEL	0,000	0,000	0,000	0,000	0,000	0,001	0,005	0,000	0,000	0,000
8 BENGKULU	0,000	0,000	0,001	0,000	0,000	0,003	0,000	0,006	0,001	0,000
9 LAMPUNG	0,000	0,000	0,000	0,000	0,000	0,002	0,000	0,000	0,036	0,000
10 DKI	255	798	312	36,1	90,5	344	83,2	49,7	295	9406
11 JABAR	2650	8387	2963	3709	912	3532	675	501	2917	42782
12 BANTEN	32,6	103	37,1	45,7	11,7	46,8	10,3	6,29	35,8	962
13 JATENG	18,5	39,5	17,5	0,552	5,82	23,5	2,99	3,19	18,7	3,05
14 DIY	3,39	9,58	3,08	0,874	1,06	4,29	0,516	0,582	3,34	3,92
15 JATIM	32,3	34,6	27,5	0,991	10,5	43,4	3,99	5,28	30,8	3,04
16 KALBAR	0,001	0,000	0,000	0,000	0,000	0,001	0,000	0,000	0,001	0,000

Producer  
or  
source  
region

One matrix for each domestic commodity and each imported.  
 Diagonal shows goods produced and used in same region.  
 Row and column totals given by USE matrix.  
 Otherwise, made up by gravity and other assumptions.

# TRADE("machi", "imp")

## User or destination region

TRADE Special View Menu	22 SULTENG	23 SULSEL	24 SULTRA	25 BALI	26 NTB	27 NTT	28 MALUKU	29 MALUT	30 PAPUA	Total
1 NAD	1,03	0,009	1,76	2,14	2,82	1,35	0,587	0,231	8,81	1402
2 SUMUT	7,21	0,283	12,8	15,6	20,5	9,33	4,09	1,53	55,2	5508
3 SUMBAR	1,07	0,278	1,95	2,89	3,71	1,59	0,612	0,222	8,24	1622
4 RIAU	5,92	0,248	10,4	12,8	16,1	7,19	2,99	1,10	38,6	8835
5 JAMBI	0,175	0,001	0,286	0,390	0,432	0,239	0,075	0,039	1,38	137
6 SUMSEL	1,01	0,005	1,53	2,32	2,36	1,46	0,350	0,241	8,97	916
7 BABEL	0,232	0,001	0,393	0,563	0,652	0,282	0,103	0,041	1,44	147
8 BENGKULU	0,032	0,000	0,048	0,083	0,079	0,049	0,010	0,008	0,285	18,8
9 LAMPUNG	2,88	0,860	5,17	7,27	9,56	4,25	1,70	0,618	23,4	2310
10 DKI	6,72	3,26	13,6	29,1	32,4	11,3	3,62	1,19	44,6	41232
11 JABAR	0,037	0,004	0,071	3,36	0,182	1,21	0,019	0,122	4,5	355
12 BANTEN	0,500	0,003	0,978	2,09	2,30	0,846	0,259	0,091	3,47	1825
13 JATENG	11,7	5,99	24,2	82,2	75,9	21,1	5,74	1,82	67,3	14611
14 DIY	0	0	0	0	0	0	0	0	0	0
15 JATIM	18,7	1,24	39,8	253	172	36,8	8,55	2,65	96,5	13862
16 KALBAR	0,881	0,005	1,41	2,42	2,36	1,10	0,297	0,177	4,96	226

Arrival  
port  
region

provinces have  
big ports

# Market clearing for domestic goods

$$\text{sum over IND: } \boxed{\text{MAKE (COM,IND,ORG)}} = \boxed{\text{MAKE\_I (COM,ORG)}} = \boxed{\text{TRADE\_D (COM,ORG)}} = \text{sum over DST: } \boxed{\text{TRADE (COM,ORG,DST)}}$$

$$\begin{aligned} & E\_xtrad\_d(\text{all},c,\text{COM})(\text{all},s,\text{SRC})(\text{all},r,\text{ORG}) \\ & \text{TRADE\_D}(c,s,r) * xtrad\_d(c,s,r) \\ & = \text{sum}\{d,\text{DST}, \text{TRADE}(c,s,r,d) * xtrad(c,s,r,d)\}; \end{aligned}$$

Equation E\_pdomA # Demand = supply for non-margins #  
 $(\text{all},c,\text{NONMAR})(\text{all},r,\text{REG}) \text{ xcom}(c,r) = xtrad\_d(c, \text{"dom"}, r);$

Equation E\_pdomB # Demand = supply for margins #  
 $(\text{all},m,\text{MAR})(\text{all},p,\text{REG}) \text{ MAKE\_I}(m,p) * \text{xcom}(m,p) =$   
 $\text{TRADE\_D}(m, \text{"dom"}, p) * xtrad\_d(m, \text{"dom"}, p) + \text{SUPPMAR\_RD}(m,p) * \text{xsuppmar\_rd}(m,p);$

# **HOUSEHOLD DEMAND**

**COM**  
**C**  
**O**  
**M**

**HROUPUR(c,h,d)**  
 purch. value of good c  
 used by  
 household h in d  
 price: phou(c,d)  
 quantity:  
 xhouh\_s(c,h,d)

**HOU column in USE  
 is driven by adding  
 up (over HOU) the  
 HROUPUR matrix**

**HOU**

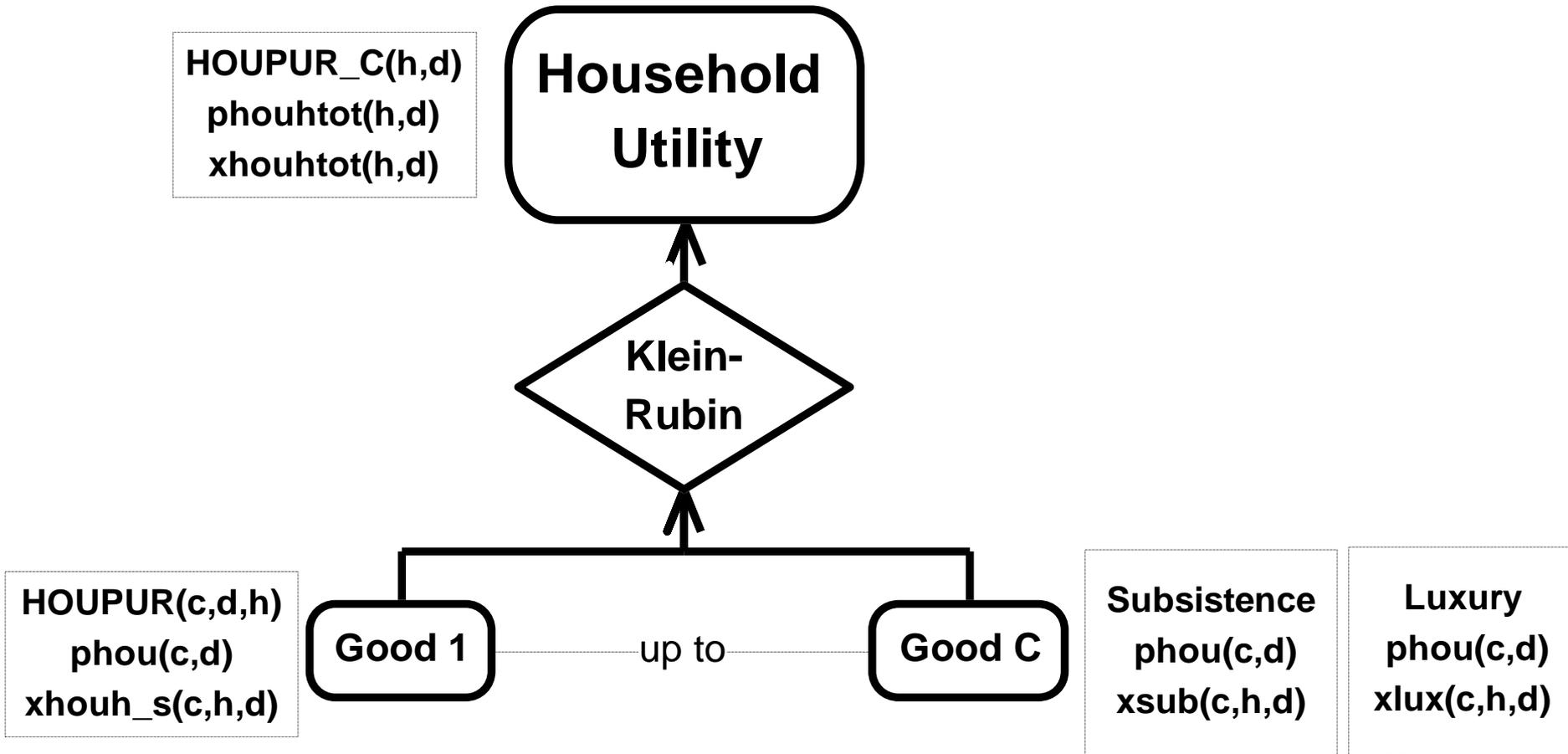
		USER x DST		INV		GOV		EXP	
		xhou_s							
		IND	HOU						
<b>COM x SRC</b>		<b>USE(c,s,u,d)</b> Delivered value: basic + margins (ex-tax) quantity: xint(c,s,i,d) price: puse(c,s,d)	<b>xhou(c,s,d)</b> <b>puse(c,s,d)</b>	<b>xinv(c,s,d)</b> <b>puse(c,s,d)</b>	<b>xgov(c,s,d)</b> <b>puse(c,s,d)</b>	<b>xexp(c,s,d)</b> <b>puse(c,s,d)</b>			
		+							
<b>COM x SRC</b>		<b>TAX (c,s,u,d)</b> Commodity taxes							

**header 3PUR**

**Equation E\_xhou\_s (all,c,COM)(all,d,DST)**

$$\text{xhou\_s}(c,d) = \text{sum}\{h, \text{HOU}, \text{HOUSHR}(c,h,d) * \text{xhouh\_s}(c,h,d)\};$$

# Top Nest of Household Demands



# Klein-Rubin: a non-homothetic utility function

**Homothetic means:**

**budget shares depend only on prices, not incomes  
eg: CES, Cobb-Douglas**

**Non-homothetic means:**

**rising income causes budget shares to change  
even with price ratios fixed.**

**Non-unitary expenditure elasticities:**

**1% rise in total expenditure might cause food expenditure to rise by 1/2%; air travel expenditure to rise by 2%.**

**Other names:**

**Stone-Geary**

**or**

**LES: linear expenditure system**

# Linear Expenditure System

Total expenditure = subsistence cost + luxury expenditure

**supernumerary**

$$PHOU(c) *XHOU(c) = PHOU(c) *XSUB(c) + SLUX(c) *LUX\_C$$

$$PHOU(c) *XHOU(c) = PHOU(c) *XSUB(c)$$

$$+ SLUX(c) * [HOU\_C - \sum \{PHOU(c) *XSUB(c)\}]$$

**all subsistence costs**

Expenditure on each good  
is a linear function of prices and income

# Model demand equations

Total demand = **subsistence demand** + **luxury demand**

Equation

*E\_xsub # Subsistence demand for composite commodities #*

$$(all,c,COM)(all,h,HOU)(all,d,DST) \text{ xsub}(c,h,d) = \text{nhouh}(h,d) + \text{asub}(c,h,d);$$

*E\_xlux # Luxury demand for composite commodities #*

*(all,c,COM)(all,h,HOU)(all,d,DST)*

$$\text{xlux}(c,h,d) + \text{phou}(c,d) = \text{wlux}(h,d) + \text{alux}(c,h,d);$$

*E\_xhouh\_s # Total household demand for composite commodities #*

*(all,c,COM)(all,h,HOU)(all,d,DST)*

$$\text{xhouh}_s(c,h,d) = \text{BLUX}(c,h,d) * \text{xlux}(c,h,d) + [1 - \text{BLUX}(c,h,d)] * \text{xsub}(c,h,d);$$

# How many parameters -degree of flexibility

No of parameters =

extra numbers needed to specify percent change form

IF EXPENDITURE VALUES ARE ALREADY KNOWN

Example, CES=1:

with input values known, 1 number,  $\sigma$ , is enough.

Example, CobbDouglas=0:

with input values known, we know all.

**In levels, more  
parameters are needed.**

Example, Leontief=0:

with input values known, we know all.

How many parameters is Klein-Rubin/LES ?

We need to divide expenditure on each good

into subsistence and luxury parts.

(all,c,COM) BLUX(c) # Ratio, supernumerary/total expenditure#;

One BLUX parameter for each commodity.

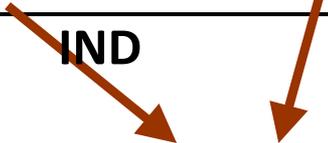
**These "parameters"  
change !**

# **INVENTORY DEMAND**

COM

**INVEST(c,i,d)**  
 purch. value of good c  
 used for investment in  
 industry i in d  
 price:  $p_{invest}(c,d)$   
 quantity:  $x_{invi}(c,i,d)$

**INV column in USE  
 is driven by adding  
 up (over IND) the  
 INVEST matrix**



		USER x DST		xinv_s		
		IND	HOU	INV	GOV	EXP
COM x SRC		<b>USE(c,s,u,d)</b> Delivered value: basic + margins (ex-tax) quantity: $x_{int}(c,s,i,d)$ price: $p_{use}(c,s,d)$	$x_{hou}(c,s,d)$ $p_{use}(c,s,d)$	$x_{inv}(c,s,d)$ $p_{use}(c,s,d)$	$x_{gov}(c,s,d)$ $p_{use}(c,s,d)$	$x_{exp}(c,s,d)$ $p_{use}(c,s,d)$
		+				
COM x SRC		<b>TAX (c,s,u,d)</b> Commodity taxes				

**header 2PUR**

**E\_xinv\_s (all,c,COM)(all,d,DST)**

**INVEST\_I(c,d)\*xinv\_s(c,d)= sum{i,IND, INVEST(c,i,d)\*xinvi(c,i,d)};**

# Investment Composition differs by Industry

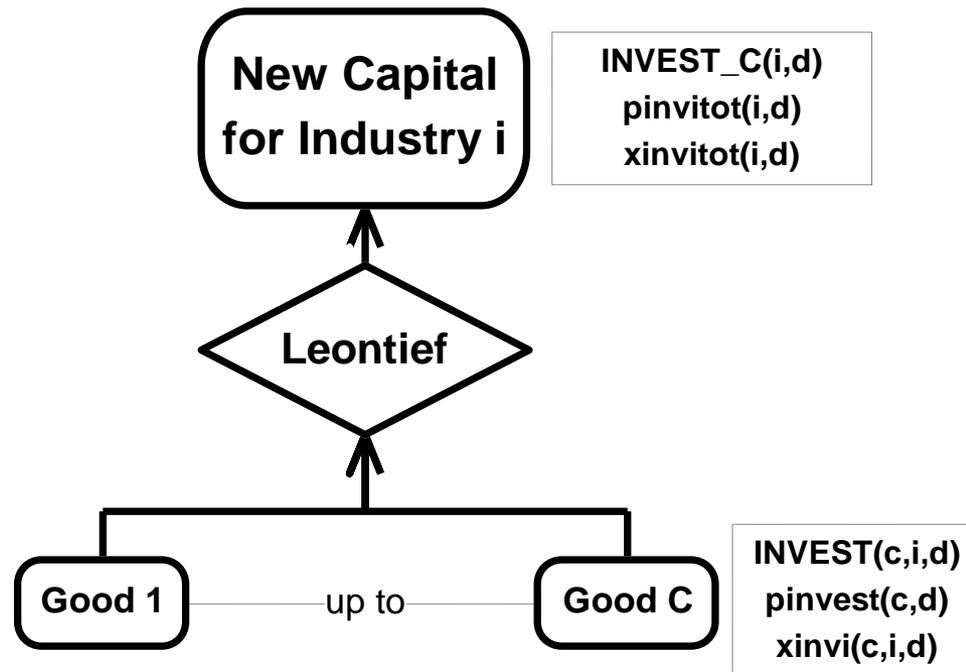
		IND				
		....	Manufact	....	Estate	Service
C O M	....					
	....					
	....					
	Equipm					
	....					
	Constr					
	....					
	Service					

**Machines for industry**

**New houses**

# Composition of Investment

Each industry has its own fixed recipe to make its new capital.



Equation  $E\_xinvi$  (all,c,COM)(all,i,IND)(all,d,DST)

$$xinvi(c,i,d) = xinvitot(i,d);$$

# Driving industry Investment

## Variable

(all,i,IND)(all,d,DST) gret(i,d)

*# Gross rate of return = Rental/[Price of new capital] #;*

(all,i,IND)(all,d,DST) ggro(i,d)

*# Gross growth rate of capital = Investment/capital #;*

(all,i,IND)(all,d,DST) finv1(i,d) *# Investment shift variable #;*

invslack *# Investment slack variable for exogenizing national investment #;*

## Equation

E\_gret (all,i,IND)(all,d,DST) gret(i,d) = pcap(i,d) - pinvitot(i,d);

E\_xinvitot (all,i,IND)(all,d,DST) ggro(i,d) = xinvitot(i,d) - xcap(i,d);

Equation E\_ggro *# DPSV investment rule #*

(all,i,IND)(all,d,DST) ggro(i,d) = finv1(i,d) + 0.33\*[2.0\*gret(i,d) - invslack];

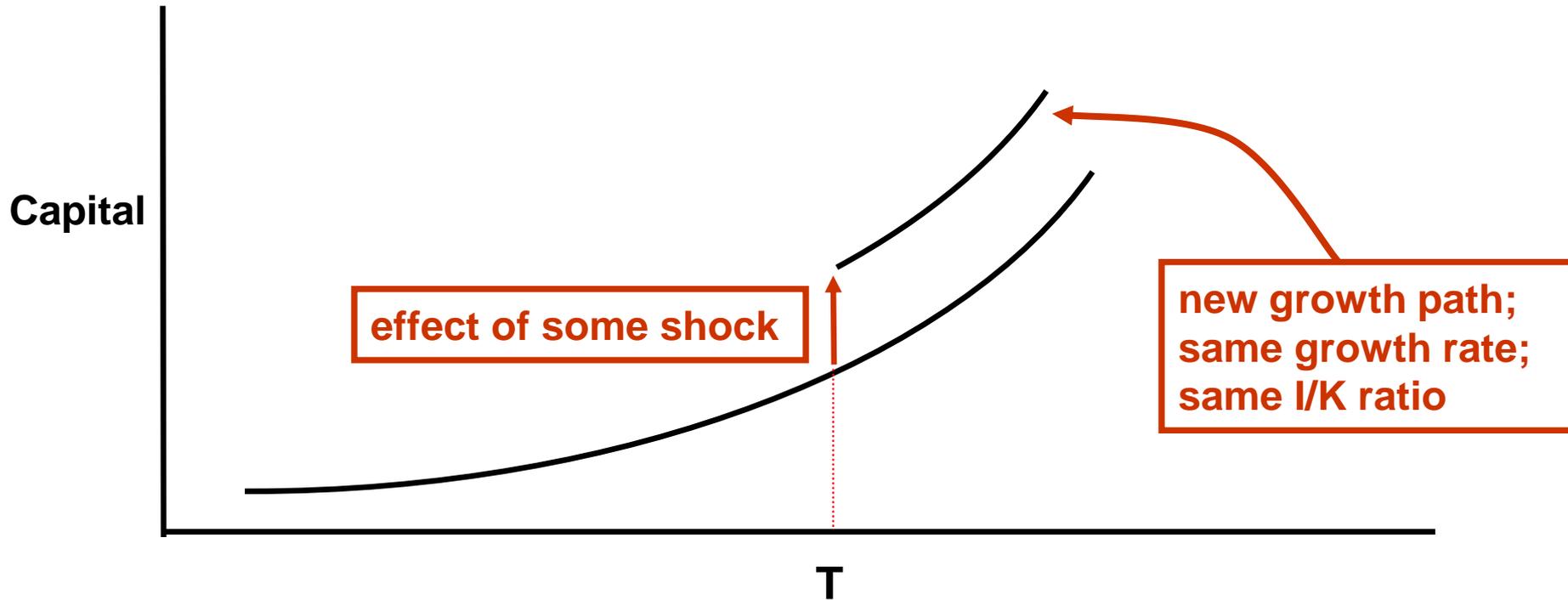
INVESTMENT/CAPITAL ratio GGRO is either

- fixed -- in long run, or
- related to sector profits

# Longrun Investment Rule

Investment/capital ratios GGRO are exogenous

$$E_{x_{inv} \text{ tot}}(all, i, IND)(all, d, DST) \text{ ggro}(i, d) = x_{inv} \text{ tot}(i, d) - x_{cap}(i, d);$$



# **GOVERNMENT & EXPORT DEMAND**

# Government demands

Equation E\_xgov (all,c,COM)(all,s,SRC)(all,d,DST)

$$xgov(c,s,d) = fgovtot(d) + fgov(c,s,d) + fgov\_s(c,d) + fgovgen;$$

Equation E\_fgovtot2 (all,d,REG)

$$fgovtot(d) = fgovtot2(d) + MainMacro("RealHou",d);$$

Shift variables **fgovtot** and **fgovtot2** used to switch between two rules. With **fgovtot2** exogenous, **fgovtot** endogenous, we get

$$xgov(c,s,d) = MainMacro("RealHou",d) + fgovtot2(d) + fgov(c,s,d) + fgov\_s(c,d) + fgovgen;$$

ie: gov. demands follow real household consumption

with **fgovtot** exogenous, **fgovtot2** endogenous, we get

$$xgov(c,s,d) = fgovtot(d) + fgov(c,s,d) + fgov\_s(c,d) + fgovgen;$$

ie: gov. demands are exogenous

# Export demands

Coefficient (all,c,COM) EXP\_ELAST(c)

# Export demand elasticities: typical value 5.0 #;

Variable

(all,c,COM)(all,s,Src) fqexp(c,s) # *Export quantity shift variable* #;

(all,c,COM)(all,s,Src) fpexp(c,s) # *Export price shift variable* #;

(all,c,COM)(all,d,DST) xexp\_s(c,d) # *Export demands, dom+imp* #;

Equation E\_xexp (all,c,COM)(all,s,Src)(all,d,DST)

xexp(c,s,d) = fqexp(c,s) - EXP\_ELAST(c)

\* [ppur(c,s,"Exp",d) -fpexp(c,s) -phi];

# **MARKET CLEARING**

*! Total demand for commodity c produced in r = supply commodity c produced in r!*

**Coefficient**

***(all,c,COM)(all,s,SRC)(all,r,REG) TRDIAG(c,s,r) # Trade matrix diagonal #;***  
***(all,c,COM)(all,s,SRC)(all,r,ORG) TRADE\_D(c,s,r) # Total direct demands #;***  
***(all,c,COM)(all,s,SRC)(all,d,DST) TRADE\_R(c,s,d) # Total direct demands #;***  
***(all,c,COM)(all,s,SRC) TRADE\_RD(c,s) # Total national direct demands #;***

**Formula**

***(all,c,COM)(all,s,SRC)(all,r,REG) TRDIAG(c,s,r) = TRADE(c,s,r,r);***  
***(all,c,COM)(all,s,SRC)(all,r,ORG) TRADE\_D(c,s,r) = sum{d,DST, TRADE(c,s,r,d)};***  
***(all,c,COM)(all,s,SRC)(all,d,DST) TRADE\_R(c,s,d) = sum{r,ORG, TRADE(c,s,r,d)};***  
***(all,c,COM)(all,s,SRC) TRADE\_RD(c,s) = sum{r,ORG, TRADE\_D(c,s,r)};***

## **Variable**

**(all,c,COM)(all,s,SRC)(all,r,ORG) xtrad\_d(c,s,r)**

**# Total direct demands for goods produced(dom) or landed(imp) in r #;**

**Equation E\_xtrad\_d**

**(all,c,COM)(all,s,SRC)(all,r,ORG) ID01(TRADE\_D(c,s,r))\*xtrad\_d(c,s,r) =  
sum{d,DST, TRADE(c,s,r,d)\*xtrad(c,s,r,d)};**

**Equation E\_xtrad\_r**

**(all,c,COM)(all,s,SRC)(all,d,DST) ID01(TRADE\_R(c,s,d))\*xtrad\_r(c,s,d) =  
sum{r,ORG, TRADE(c,s,r,d)\*xtrad(c,s,r,d)};**

**Equation E\_pdomA # Supply = demand for non-margins #**

**(all,c,NONMAR)(all,r,REG)**

**xcom(c,r) = xtrad\_d(c,"dom",r);**

**Equation E\_pdomB # Demand = supply for margins #**

**(all,m,MAR)(all,p,REG)**

**MAKE\_I(m,p)\*xcom(m,p) = TRADE\_D(m,"dom",p)\*xtrad\_d(m,"dom",p)  
+ SUPPMAR\_RD(m,p)\*xsuppmar\_rd(m,p);**